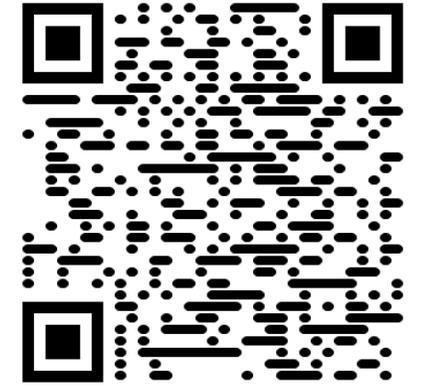


Math Hacks for Life



North Carolina
School of Science
and Mathematics



3/14 – 3/15

Andrew Wheeler, PhD
andrew.wheeler@crimede-coder.com

CRIME
De-Coder

My background

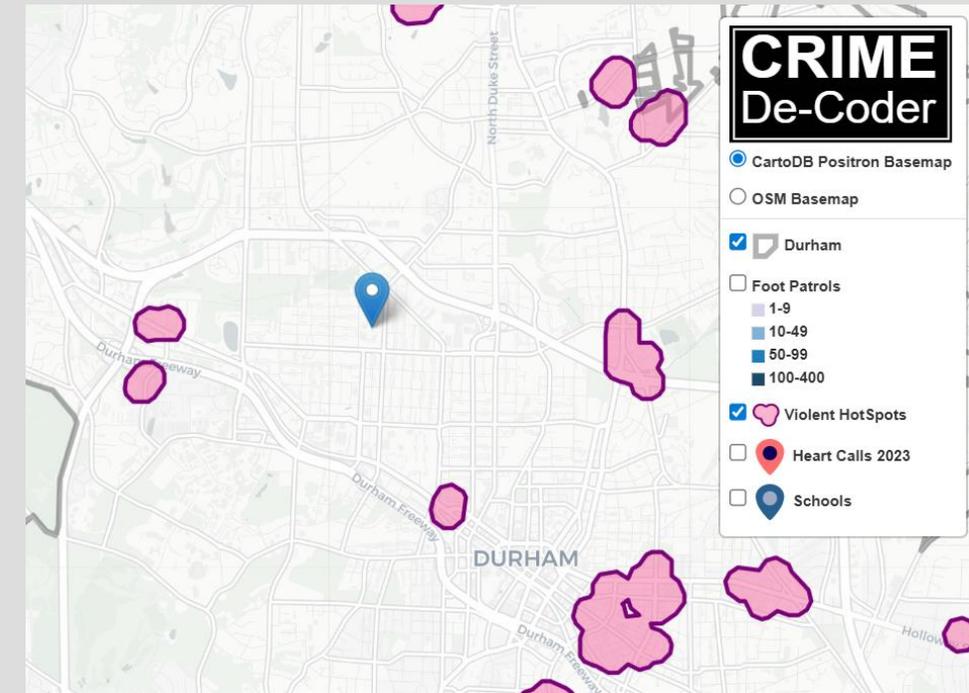
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Degrees/Jobs past decade

- **All degrees in Criminal Justice**
 - **Undergrad Bloomsburg (2008), PhD SUNY Albany (2015)**
 - **Work focuses on operations research with police**
- **Professor of Criminology, UT Dallas (2016-2019)**
- **Data Scientist in Healthcare (2019-Current)**

Books I have written

- [**Data Science for Crime Analysis with Python**](#)
- [**Large Language Models for Mortals: A Practical Guide for Analysts with Python**](#)



Math can be practical

CRIME
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Not just for work, but also how you live your life

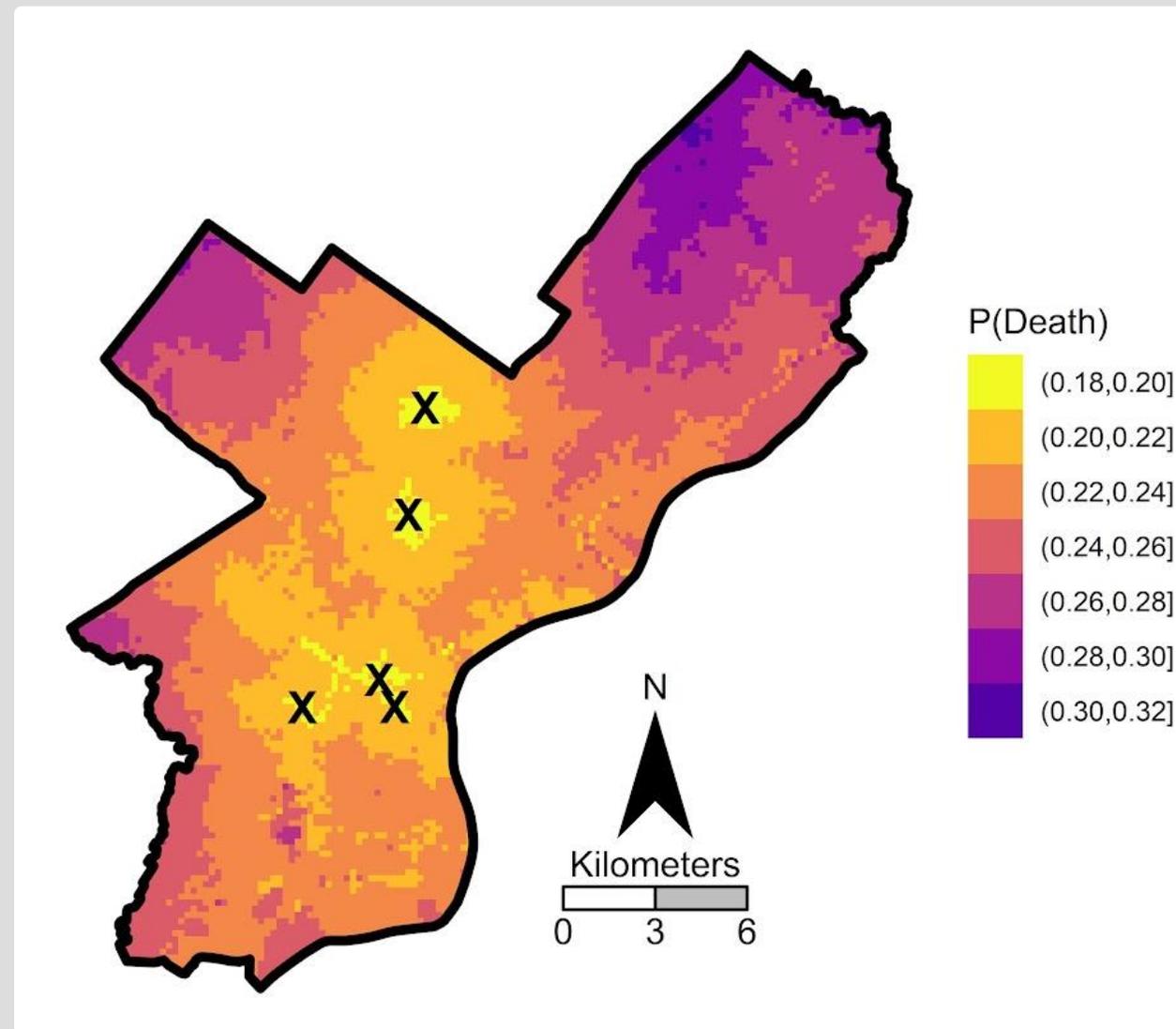
Constraints always lower your objective function

The Math

- **Unconstrained:** $\max f(x)$
- **Constrained:**
 $\max_c f(x)$, subject to $g(x) \leq c$

The Lesson

$$\max f(x) \geq \max_c f(x)$$



Constraints always lower your objective function

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Constraints always lower your objective function

Question the constraints!

- **False dichotomy**
- **We have always done it this way**



Constraints always lower your objective function

Question the constraints!

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EMT Response

- **Scoop and Run**
- **Mobile EMT units**
- **Optimal location of blood banks**



Life is rarely optimal

In theory, utility equation is

$$U^* = \arg \max f(x), \text{ where } x \in \mathbb{R}$$



Life is rarely optimal

In theory, utility equation is

$$U^* = \arg \max f(x), \text{ where } x \in \mathbb{R}$$

Voltaire - *Il meglio è l'inimico del bene*

Don't let the perfect be the enemy of the good



Life is rarely optimal

In theory, utility equation is

$$U^* = \arg \max f(x), \text{ where } x \in \mathbb{R}$$

In reality, you can only evaluate a subset

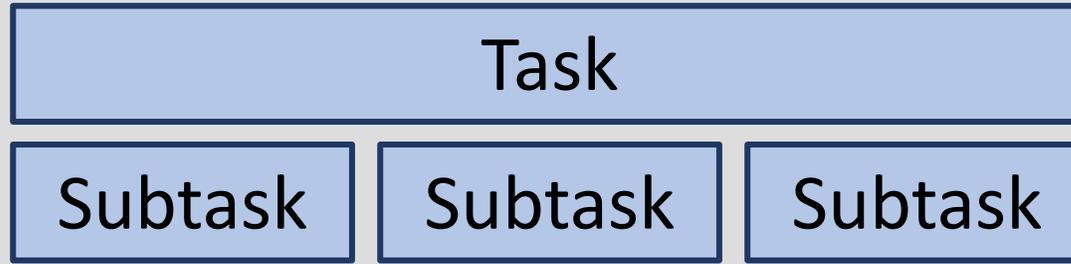
- **Cannot evaluate all of \mathbb{R} !**
- **That is ok, can evaluate some and make decisions (rule of thumb evaluate 3)**

Parallel vs Sequential

Task

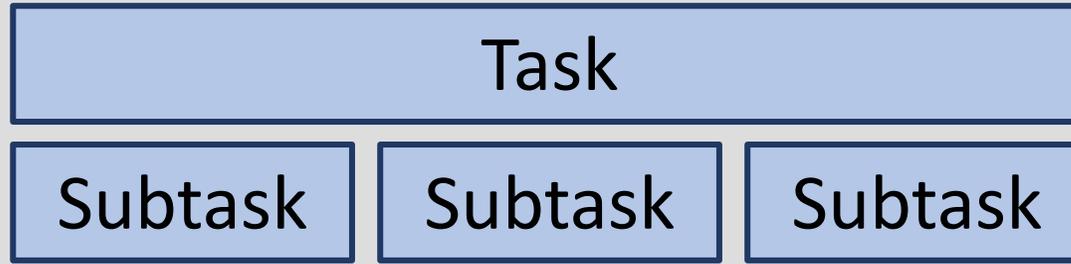
Parallel vs Sequential

Sequential

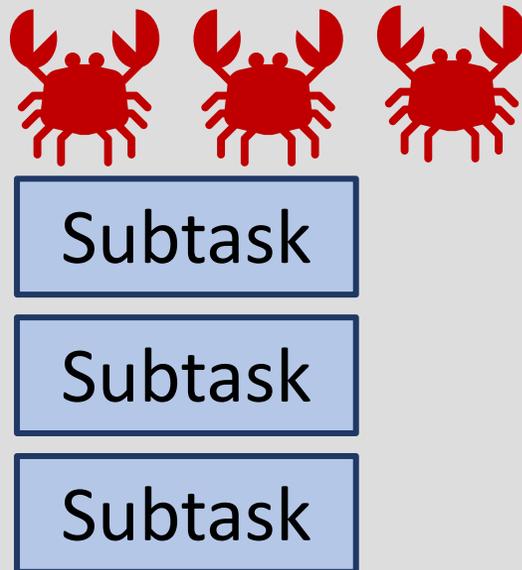


Parallel vs Sequential

Sequential

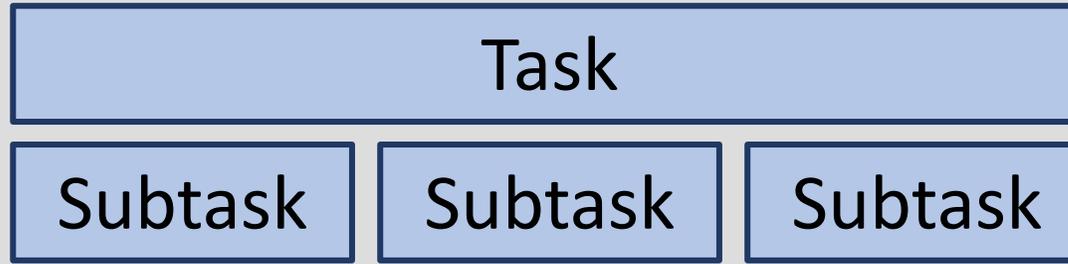


Parallel

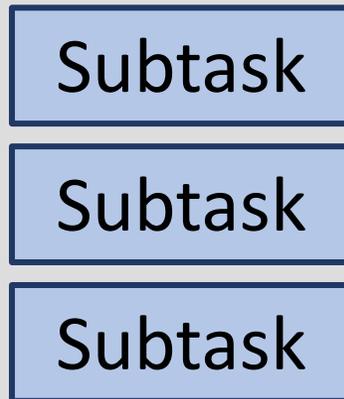


Parallel vs Sequential

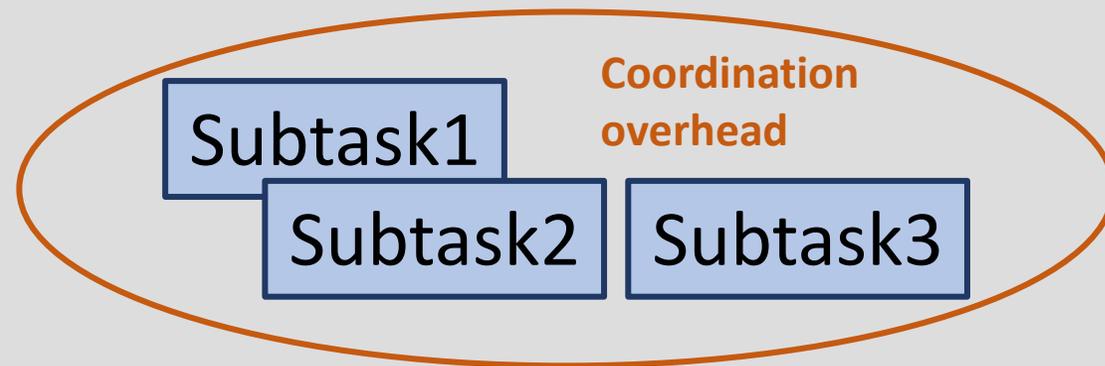
Sequential



Parallel

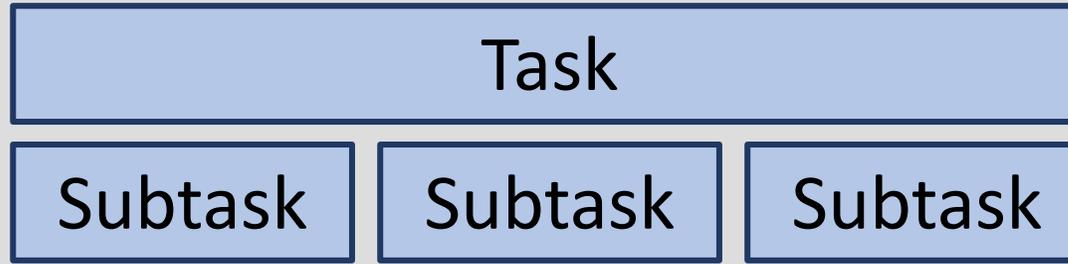


Reality



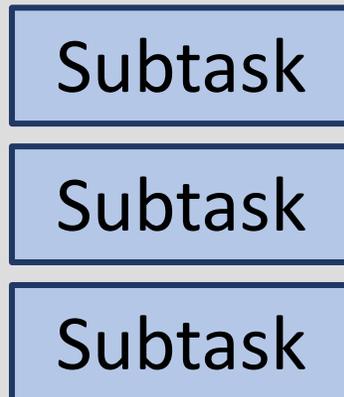
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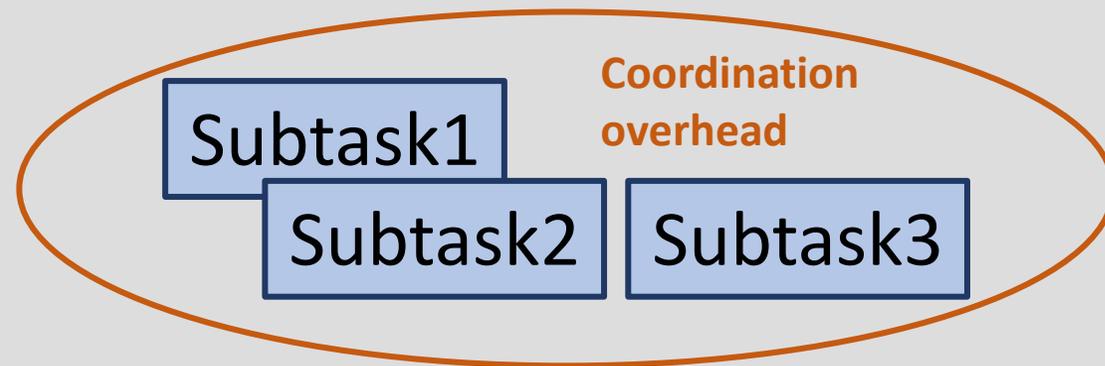


Life lesson: Two heads are better than one (sometimes!)

Parallel



Reality



Linearity of Expectations

$$\mathbb{E}[y_1] + \mathbb{E}[y_2] = \mathbb{E}[y_1 + y_2]$$

$$\mathbb{E}[y_1] + \mathbb{E}[y_2] = \mathbb{E}[y_1 + y_2]$$

Try, try, try again

- **If probability is p_i , then**
- $\mathbb{E}[\# \text{ of events}] = \sum_n p_i = n \cdot p_i$

**Know when to keep trying
vs increasing p_i**

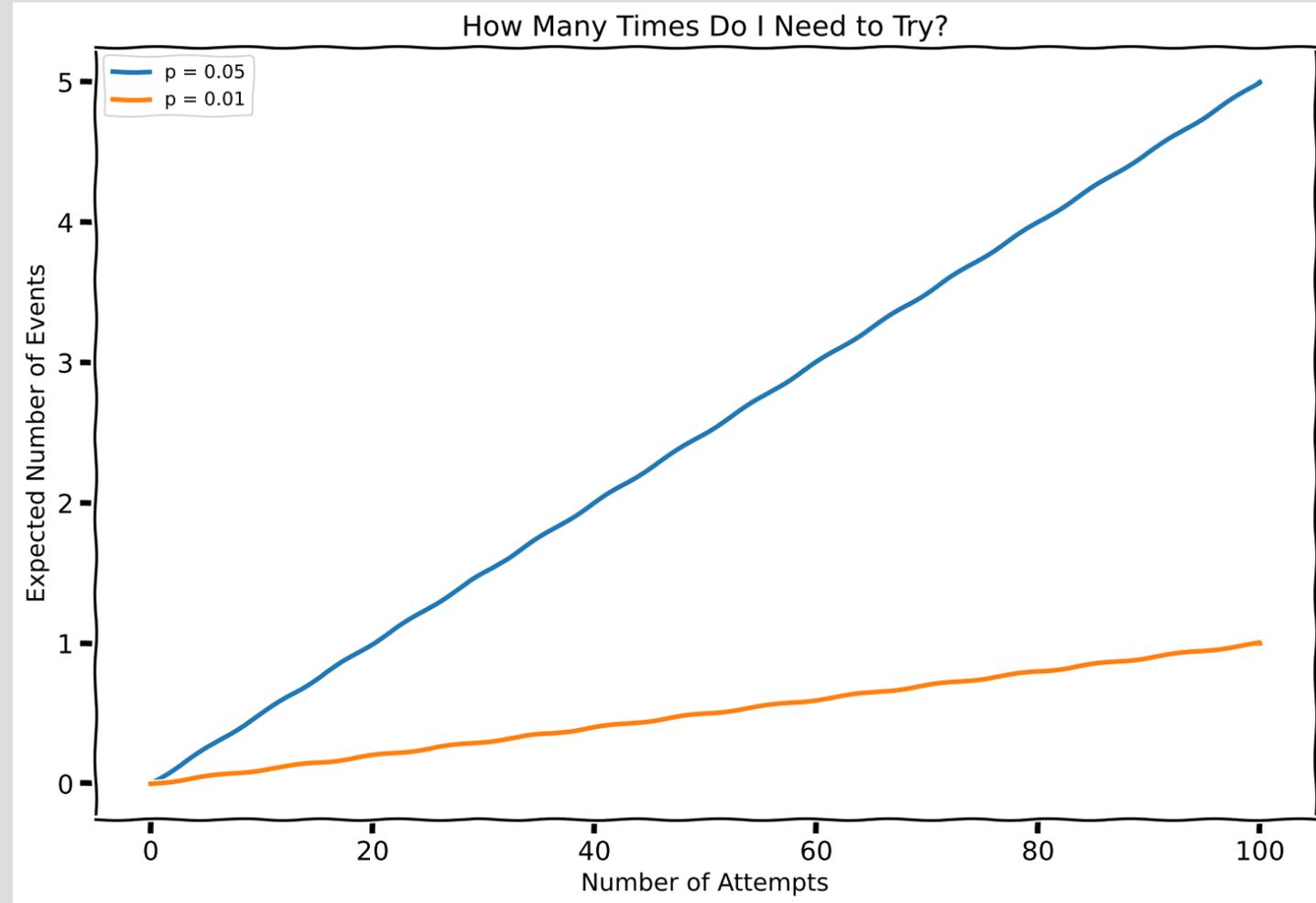
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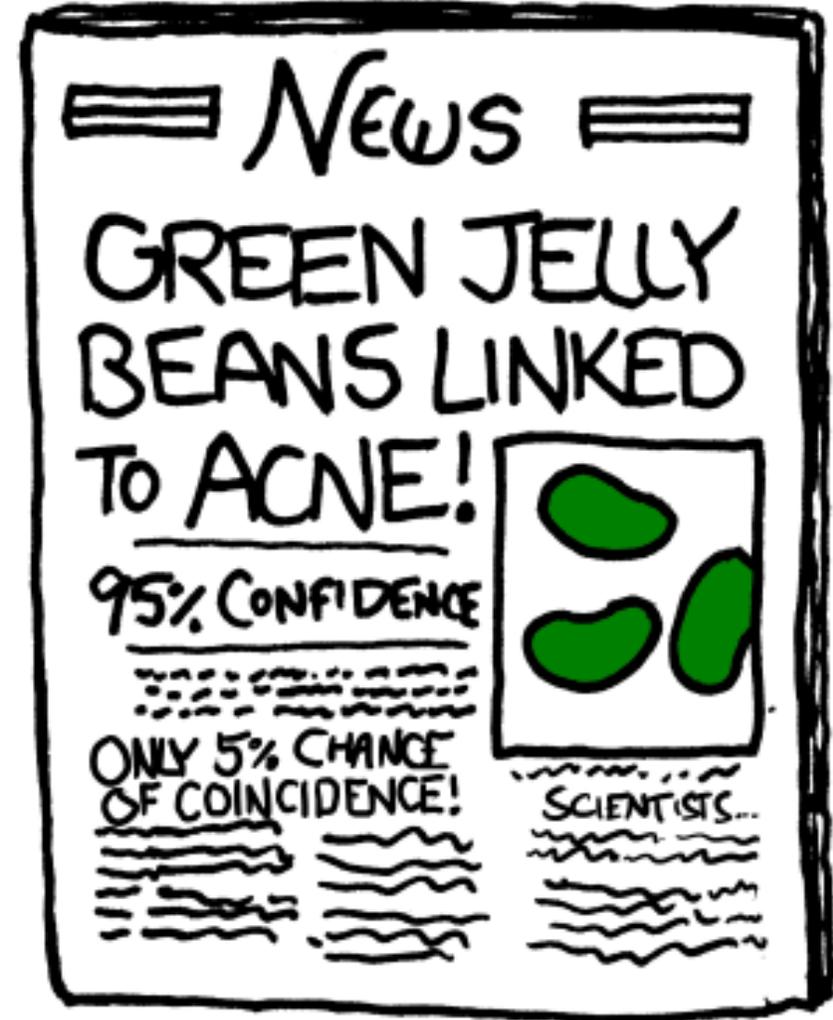
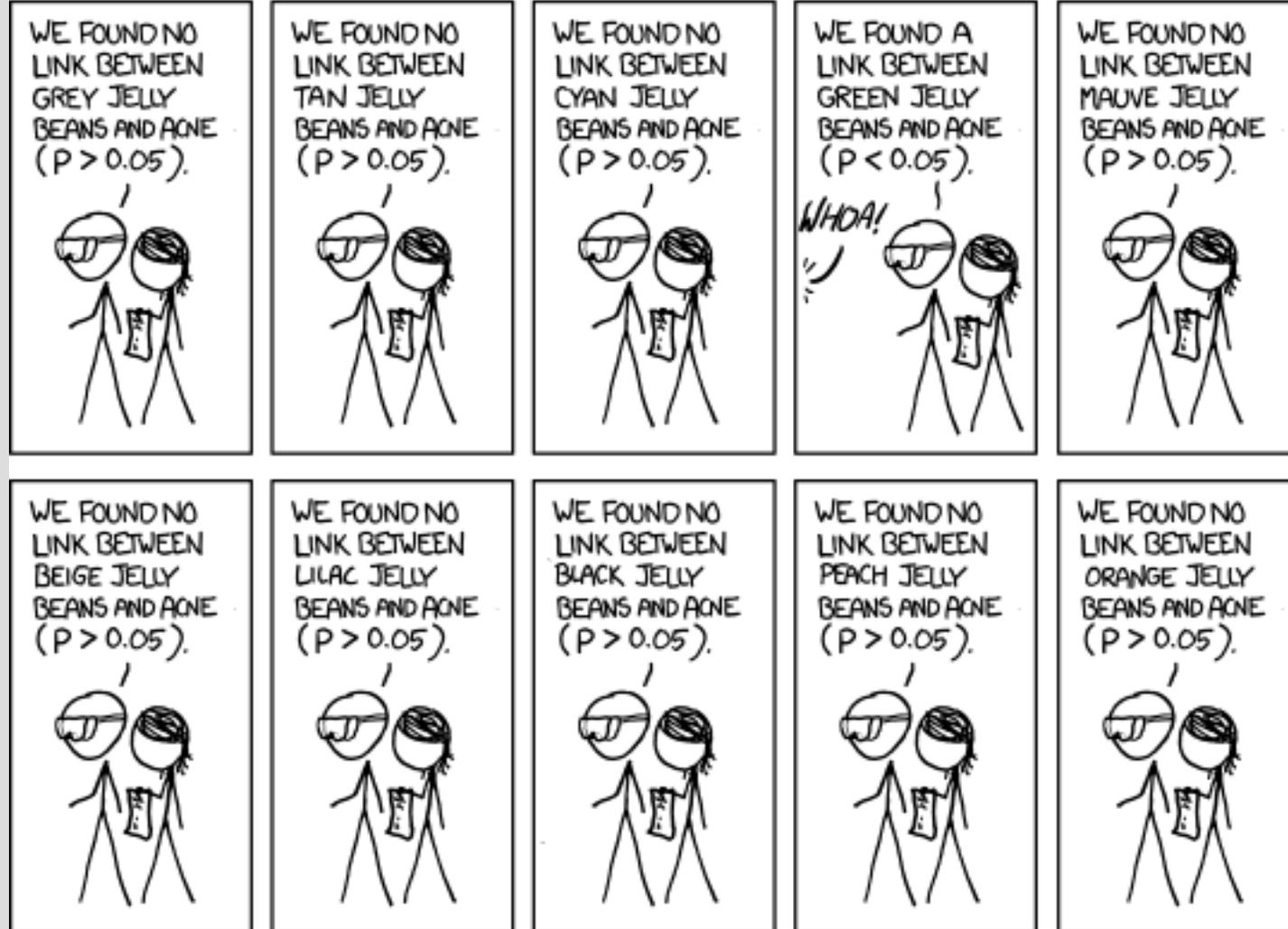
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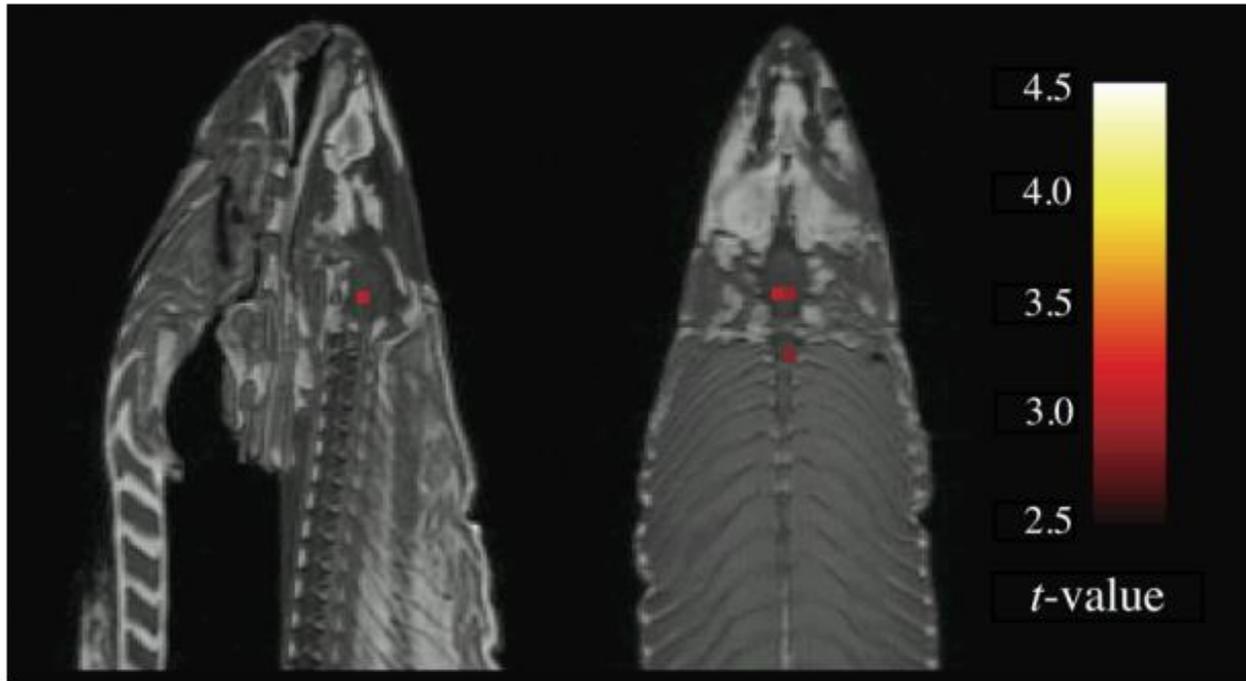
Know when to keep trying vs increasing p_i



Multiple Comparisons



GLM RESULTS



A t -contrast was used to test for regions with significant BOLD signal change during the photo condition compared to rest. The parameters for this comparison were $t(131) > 3.15$, $p(\text{uncorrected}) < 0.001$, 3 voxel extent threshold.

Precision

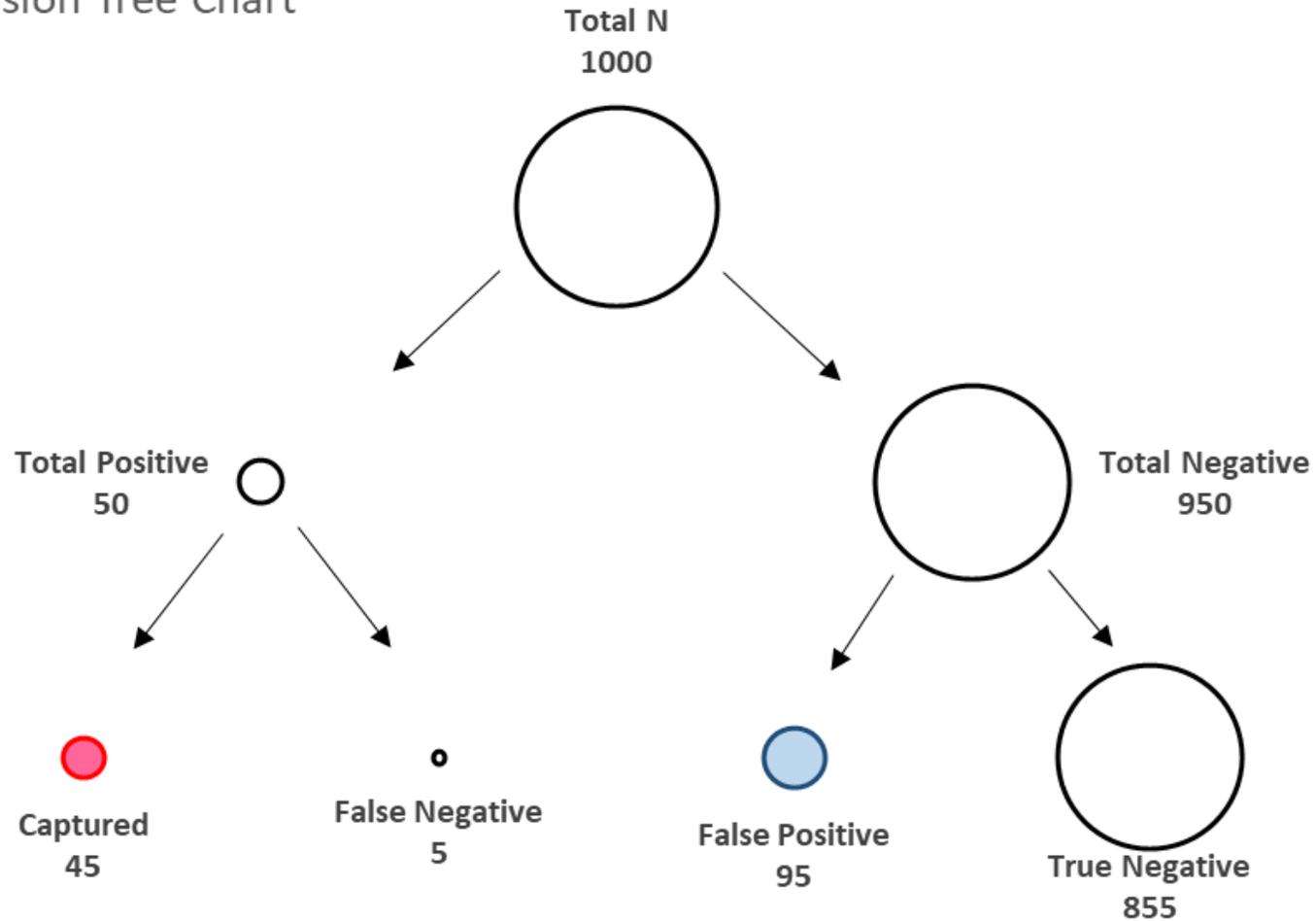
- $p(y|\hat{y})$ – **probability of outcome conditional on predicting that outcome**

Recall

- $p(\hat{y}|y)$ – **proportion of all outcomes you captured with your instrument**

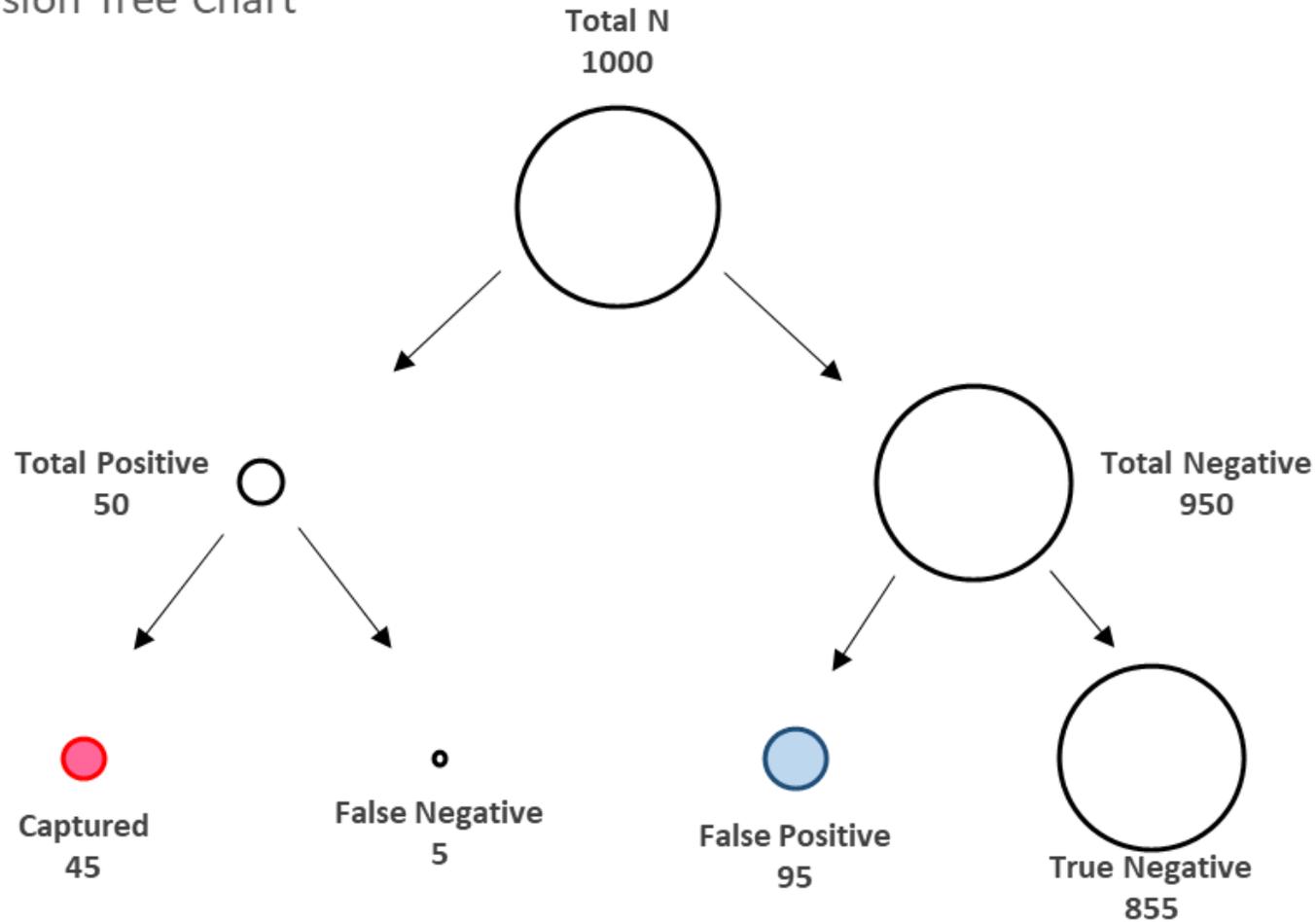
Precision and Recall

Decision Tree Chart

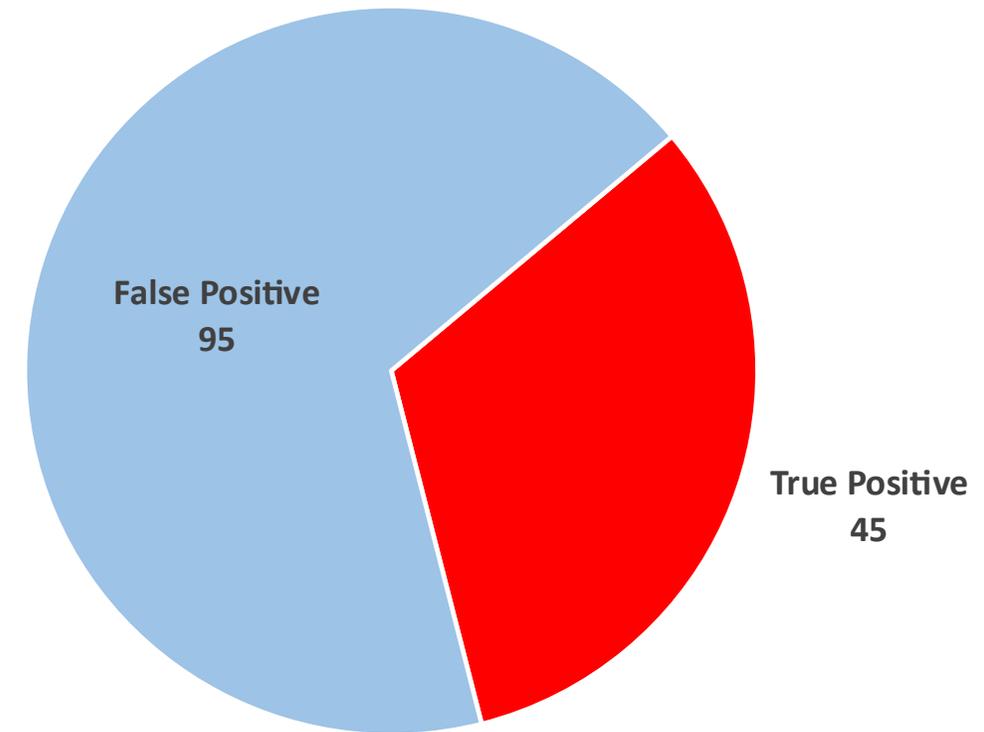


Precision and Recall

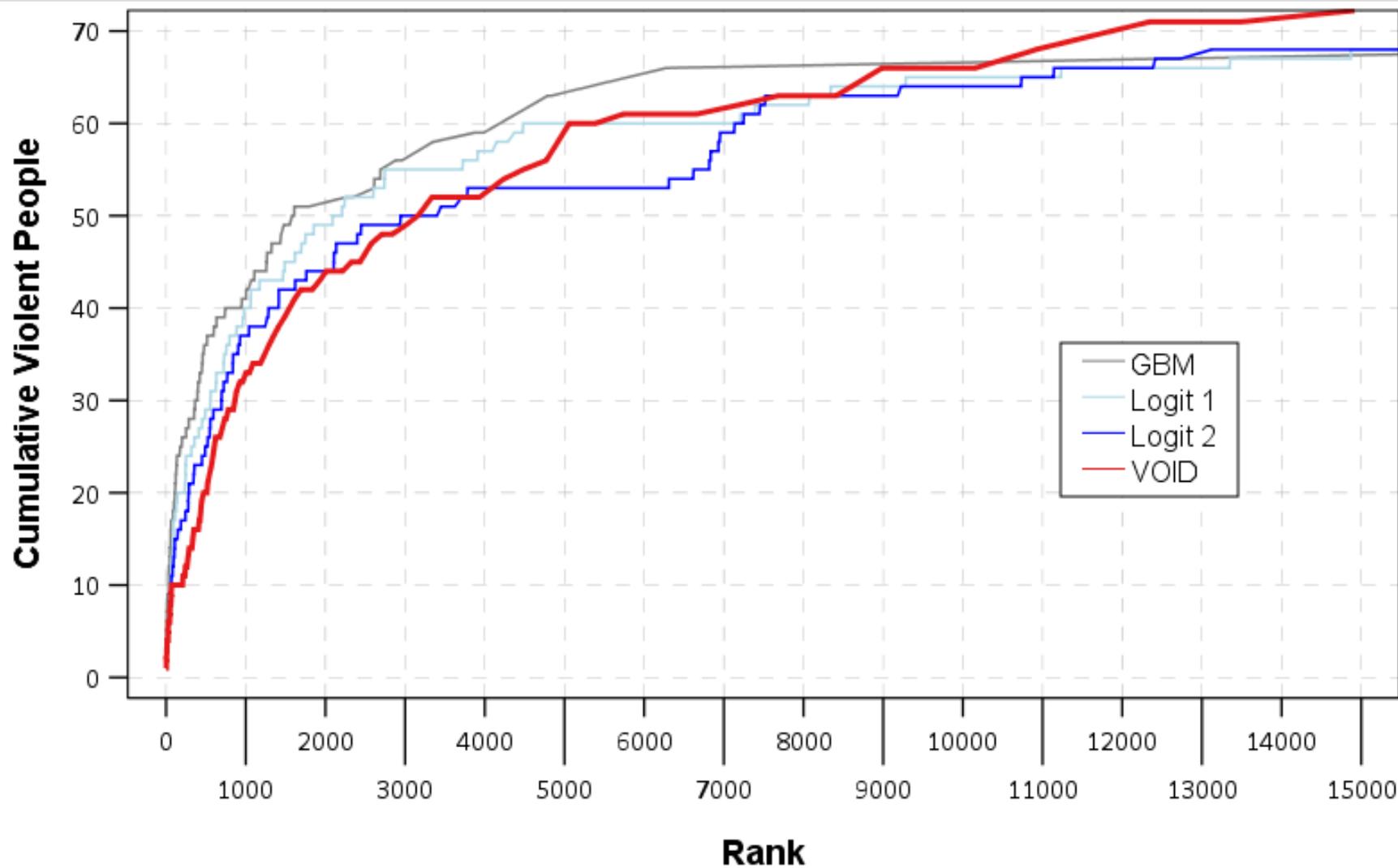
Decision Tree Chart



Positive Predictive Value = 0.321



Precision and Recall



Precision

- $p(y|\hat{y})$ – **probability of outcome conditional on predicting that outcome**

Recall

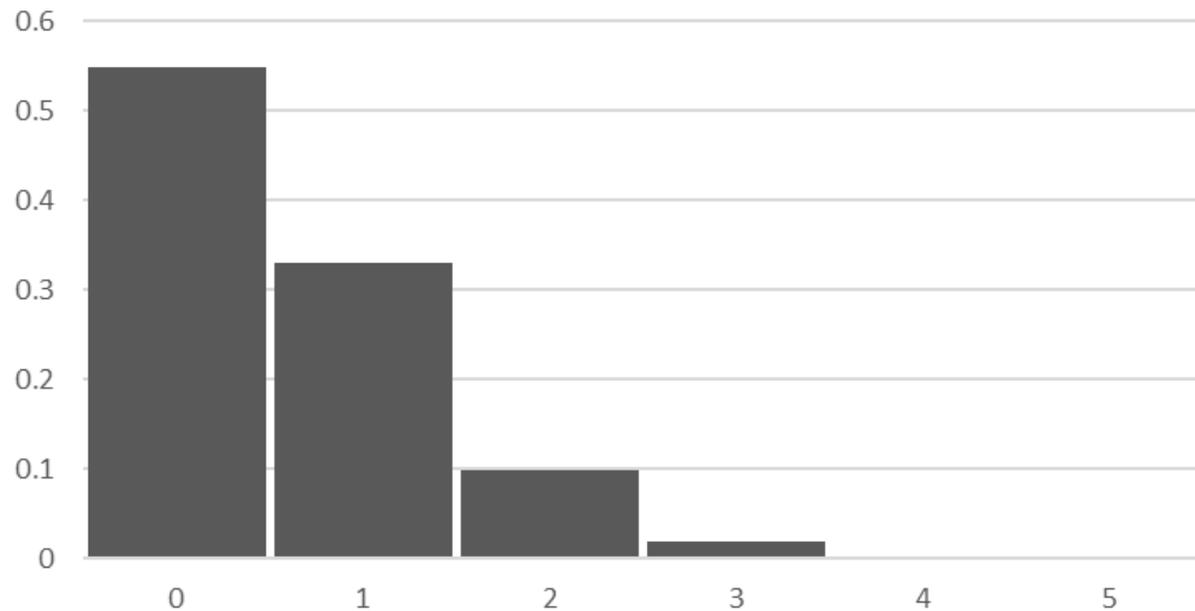
- $p(\hat{y}|y)$ – **proportion of all outcomes you captured with your instrument**

Very hard to predict rare events, need to trade off false positives and false negatives

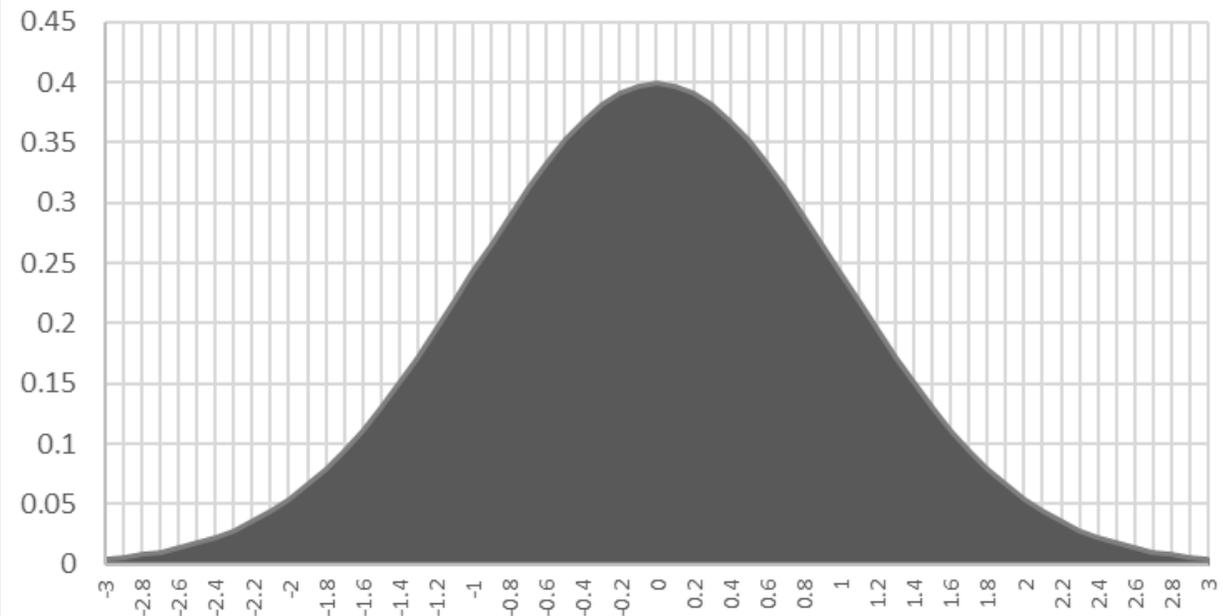
Avoid Chasing the Noise

If you on average had 0.6 shark attacks in a month, would it be weird to have a month with 2?

Poisson Probability Mass (Lambda = 0.6)



Normal Distribution PDF



Avoid Chasing the Noise

If you on average had 0.6 shark attacks in a month, would it be weird to have a month with 2?

- **2 events will happen 10% of the time**
- **Would expect that to happen almost once a year**

Number in Period	% Expected	% Cumulative Expected
0	54.9%	54.9%
1	32.9%	87.8%
2	9.9%	97.7%
3	2.0%	99.7%
4	0.3%	100.0%
5	0.0%	100.0%

Avoid Chasing the Noise

If you on average had 0.6 shark attacks in a month, would it be weird to have a month with 2?

➤ **Poisson distribution rule of thumb**

$$2 \cdot (\sqrt{C_1} - \sqrt{C_0}) \approx \mathcal{N}(0,1) \Rightarrow Z$$

➤ **Going up or down if $|Z| > 3$**

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Avoid Chasing the Noise

If you on average had 0
would it be weird to have

- **Poisson distribution rule of thumb**

$$2 \cdot (\sqrt{C_1} - \sqrt{C_0}) \approx \mathcal{N}(0,1) \Rightarrow Z$$

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month,
3?

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Most things suck, you can make them better

CRIME
De-Coder

$$U_t \geq U_{t-1}$$

Most things suck, you can make them better

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De-Coder

$$U_t \geq U_{t-1}$$

- **Stuff gets better over time, not worse**
- **From the effort *you* put into them**



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SMATH
2026 HACKS
> THINK. HACK. INNOVATE.

3/14 – 3/15

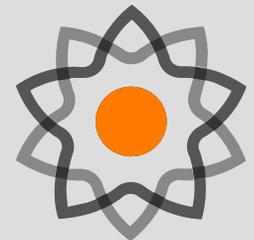
Math Hacks for Life



03-26

Contact: andrew.wheeler@crimede-coder.com

Website: crimede-coder.com



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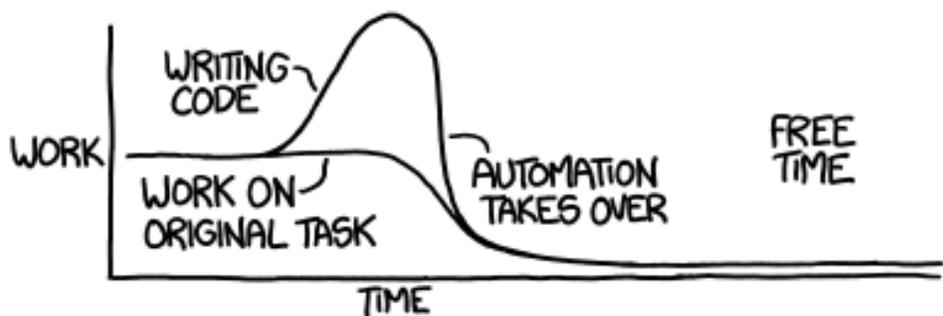
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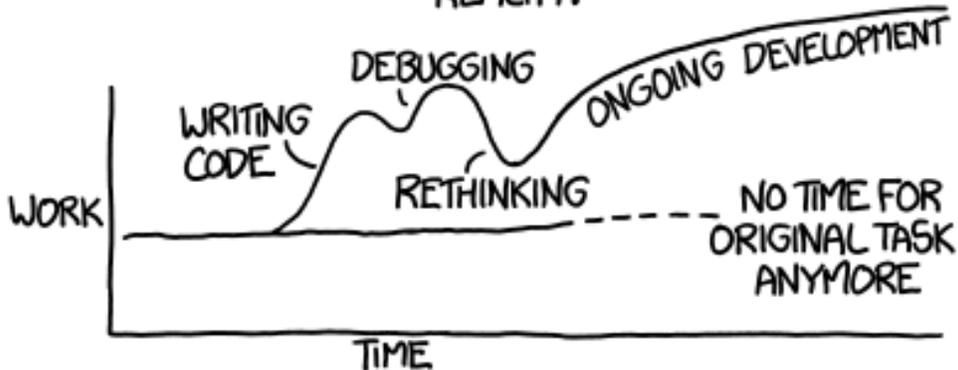
Automation and Actual Savings

"I SPEND A LOT OF TIME ON THIS TASK. I SHOULD WRITE A PROGRAM AUTOMATING IT!"

THEORY:



REALITY:



HOW LONG CAN YOU WORK ON MAKING A ROUTINE TASK MORE EFFICIENT BEFORE YOU'RE SPENDING MORE TIME THAN YOU SAVE?
(ACROSS FIVE YEARS)

HOW OFTEN YOU DO THE TASK

	50/DAY	5/DAY	DAILY	WEEKLY	MONTHLY	YEARLY
1 SECOND	1 DAY	2 HOURS	30 MINUTES	4 MINUTES	1 MINUTE	5 SECONDS
5 SECONDS	5 DAYS	12 HOURS	2 HOURS	21 MINUTES	5 MINUTES	25 SECONDS
30 SECONDS	4 WEEKS	3 DAYS	12 HOURS	2 HOURS	30 MINUTES	2 MINUTES
1 MINUTE	8 WEEKS	6 DAYS	1 DAY	4 HOURS	1 HOUR	5 MINUTES
5 MINUTES	9 MONTHS	4 WEEKS	6 DAYS	21 HOURS	5 HOURS	25 MINUTES
30 MINUTES		6 MONTHS	5 WEEKS	5 DAYS	1 DAY	2 HOURS
1 HOUR		10 MONTHS	2 MONTHS	10 DAYS	2 DAYS	5 HOURS
6 HOURS				2 MONTHS	2 WEEKS	1 DAY
1 DAY					8 WEEKS	5 DAYS

HOW MUCH TIME YOU SHAVE OFF